

# PSC 102: Intro to International Politics

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Commitment Problems

# Introduction

- Three goals for this lecture
  - Discuss general concept of **commitment problems**
  - Prove that **expectation** of a sufficiently **large future shift in power** can lead to a **preventive war**
  - Demonstrate **empirically** that real world patterns of conflict match our **expectations**



# Commitment Problems

- No one can **credibly commit** to any future action that is clearly not in their interests
- True even if **presently** in their interest to promise they would
- Commitment problems → conflict when
  - Power is expected to shift in the future
  - Implementation of agreements cannot be verified



# A Model of Crisis Bargaining When Power is Shifting

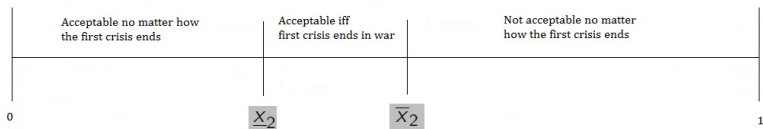
- Assume  $D$  is growing stronger relative to  $C$ 
  - $C$  either sets  $x_1 \in [0, 1]$  or launches preventive war
  - If  $C$  issues an ultimatum,  $D$  can accept or reject
  - Either way, at some point in the future, second crisis emerges
  - $C$  then sets  $x_2 \in [0, 1]$ , which  $D$  can accept or reject
  - Let  $w_1$  denote  $C$ 's share following war in first stage
  - Let  $w_2$  denote  $C$ 's share following war in second stage
  - $w_2 = \bar{w}_2$  if war in first stage and  $w_2 = \underline{w}_2$  otherwise
  - Where  $\underline{w}_2 < \bar{w}_2 < w_1$

Outcomes	$u_C$	$u_D$
peace <sub>1</sub> , peace <sub>2</sub>	$x_1 + x_2$	$1 - x_1 + 1 - x_2$
peace <sub>1</sub> , war <sub>2</sub>	$x_1 + \underline{w}_2 - c_C$	$1 - x_1 + 1 - \underline{w}_2 - c_D$
war <sub>1</sub> , peace <sub>2</sub>	$w_1 - c_C + x_2$	$1 - w_1 - c_D + 1 - x_2$
war <sub>1</sub> , war <sub>2</sub>	$w_1 - c_C + \bar{w}_2 - c_C$	$1 - w_1 - c_D + 1 - \bar{w}_2 - c_D$

# Second Stage Analysis

- $D$ 's acceptance rule nearly identical to before
  - $D$  accepts iff  $u_D(\text{peace}_2) \geq u_D(\text{war}_2)$
  - If  $\text{war}_1$ , equivalent to  $x_2 \leq \bar{x}_2$
  - If  $\text{peace}_1$ , equivalent to  $x_2 \leq \underline{x}_2$
  - Where  $\bar{x}_2 \equiv \bar{w}_2 + c_D$  and  $\underline{x}_2 \equiv \underline{w}_2 + c_D$
- At second stage,  $C$  must prefer  $x_2 = w_2 + c_D$ 
  - In second stage, war is strictly inefficient
  - Thus, peace is **certain** in second stage
  - Once a shift in power **occurs**, it has no impact

# Visualizing the Acceptance Rule



# $D$ 's First Stage Acceptance Rule

- $D$  accepts iff  $u_D(\text{peace}_1 | x_2 = \underline{x}_2) \geq u_D(\text{war}_1 | x_2 = \bar{x}_2)$
- $\Rightarrow 1 - x_1 + 1 - \underline{x}_2 \geq 1 - w_1 - c_D + 1 - \bar{x}_2$
- $\Rightarrow 1 - x_1 + 1 - \underline{w}_2 - c_D \geq 1 - w_1 - c_D + 1 - \bar{w}_2 - c_D$
- $\Rightarrow -x_1 - \underline{w}_2 \geq -w_1 - c_D - \bar{w}_2$
- $\Rightarrow w_1 + \bar{w}_2 - \underline{w}_2 + c_D \geq x_1$
- Or  $D$  accepts iff  $x_1 \leq \hat{x}_1$ , where  $\hat{x}_1 \equiv w_1 + \bar{w}_2 - \underline{w}_2 + c_D$

# C's First Stage Choice of $x$

- C sets  $x_1 = \hat{x}_1$  iff  $u_C(\text{peace}_1 | x_1 = \hat{x}_1) \geq u_C(\text{war}_1)$
- $\Rightarrow \hat{x}_1 + \underline{x}_2 \geq w_1 - c_C + \bar{x}_2$
- $\Rightarrow w_1 + \bar{w}_2 - \underline{w}_2 + c_D + \underline{w}_2 + c_D \geq w_1 - c_C + \bar{w}_2 + c_D$
- $\Rightarrow c_C + c_D \geq 0$
- So... **no war** in first stage either?



# The Size and Speed of the Shift

- If  $\hat{x}_1 > 1$ , demanding  $\hat{x}$  is demanding **more than everything**
- So  $C$  either sets  $x_1 = 1$  or launches preventive war
- Prefers to set  $x_1 = 1$  iff  $u_C(\text{peace}_1 | x_1 = 1) \geq u_C(\text{war}_1)$
- $\Rightarrow 1 + \underline{x}_2 \geq w_1 - c_C + \bar{x}_2$
- $\Rightarrow 1 + \underline{w}_2 + c_D \geq w_1 - c_C + \bar{w}_2 + c_D$
- $\Rightarrow 1 + c_C \geq w_1 + \bar{w}_2 - \underline{w}_2$
- This **need not be true**
- War more likely as this condition becomes harder to meet
- War more likely then as  $c_C \downarrow$ ,  $w_1 \uparrow$ ,  $\bar{w}_2 \uparrow$ , and  $\underline{w}_2 \downarrow$

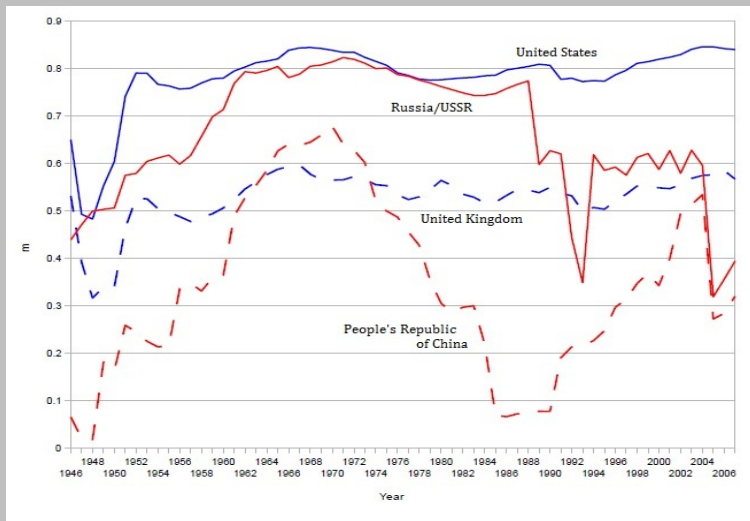
# American Civil War

- Slavery as key issue of contention, but not cause
  - Three-fifths compromise
  - Territorial expansion and balance of power
  - Crittenden proposal and Corwin Amendment
- Lincoln's change of strategy
  - After attack on Fort Sumter, Lincoln's cabinet met
  - Decided against invasion, choosing blockade instead
  - Two months later, Lincoln decided to invade
  - Fear of British recognition

# Data

- Observations: all dyad-years from 1821 to 1913, 1946 to 2007
- Dependent variable: outbreak of war w/ 2 states on opp sides
  - Taken from Correlates of War interstate war data
  - Excludes those who suffered <10% of fatalities on their side, unless that state fought alone for an extended period
- Independent variables: Milcap Share, Likely, Likely
  - Milcap Share =  $\frac{m_H}{m_L + m_H}$  where  $m_H$  is larger  $m$  score
  - $m$  scores depend on standardized personnel and spending
  - Likely shares are based on current Milcap share, trend, war

# A Look at the $m$ Scores



# Results

	War
Milcap Share	+
<u>Likely</u>	+*
<u>Likely</u>	-*